Pion yields in neutrino interactions measured in the NOMAD experiment

Dmitry Naumov, Oleg Samoylov

JINR, Dubna, Russia

Workshop "Neutrino physics at accelerators"
January 23rd, 2008

Outline

OUTLINE

WHAT ARE FRAGMENTATION FUNCTIONS?

1. They are dimensionless functions that discribed the final state single-particle energy distributions in hard scattering process

$$F^h(x,s) = \frac{1}{\sigma_{tot}(\nu_\mu N \to \mu^- X)} \frac{d\sigma(\nu_\mu N \to \mu^- h X)}{dx},$$

where $x = 2E_h/\sqrt{s}$, $\sqrt{s}$ is c.m. energy (standard definitions)
We will use $E_\nu, Q^2, W, x_{B_j}, y$ and x_F, z, p_T, p

2. Multiplicity of those hadrons

$$n_h(s) = \int dx\ F^h(x,s)$$

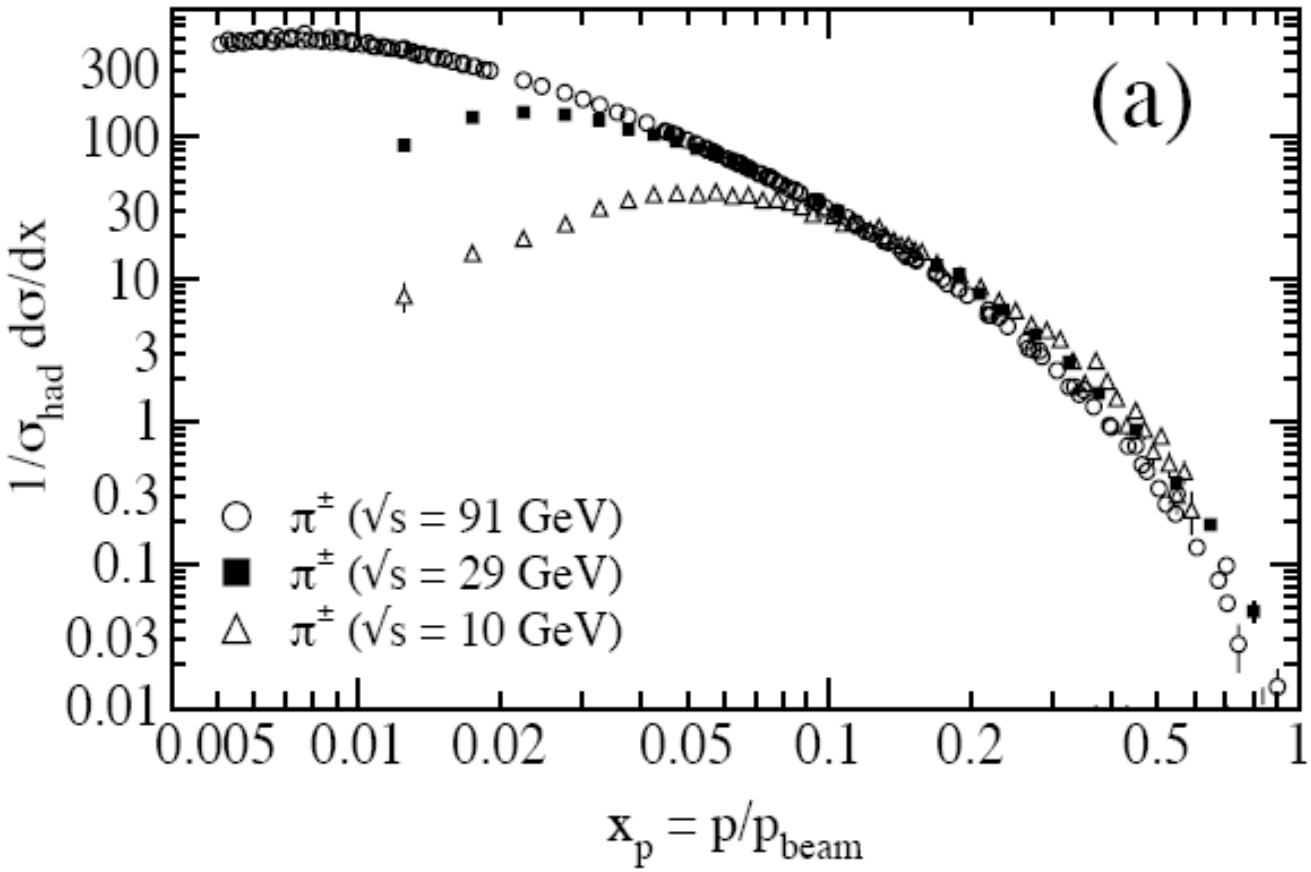
WHY ARE FRAGMENTATION FUNCTIONS?

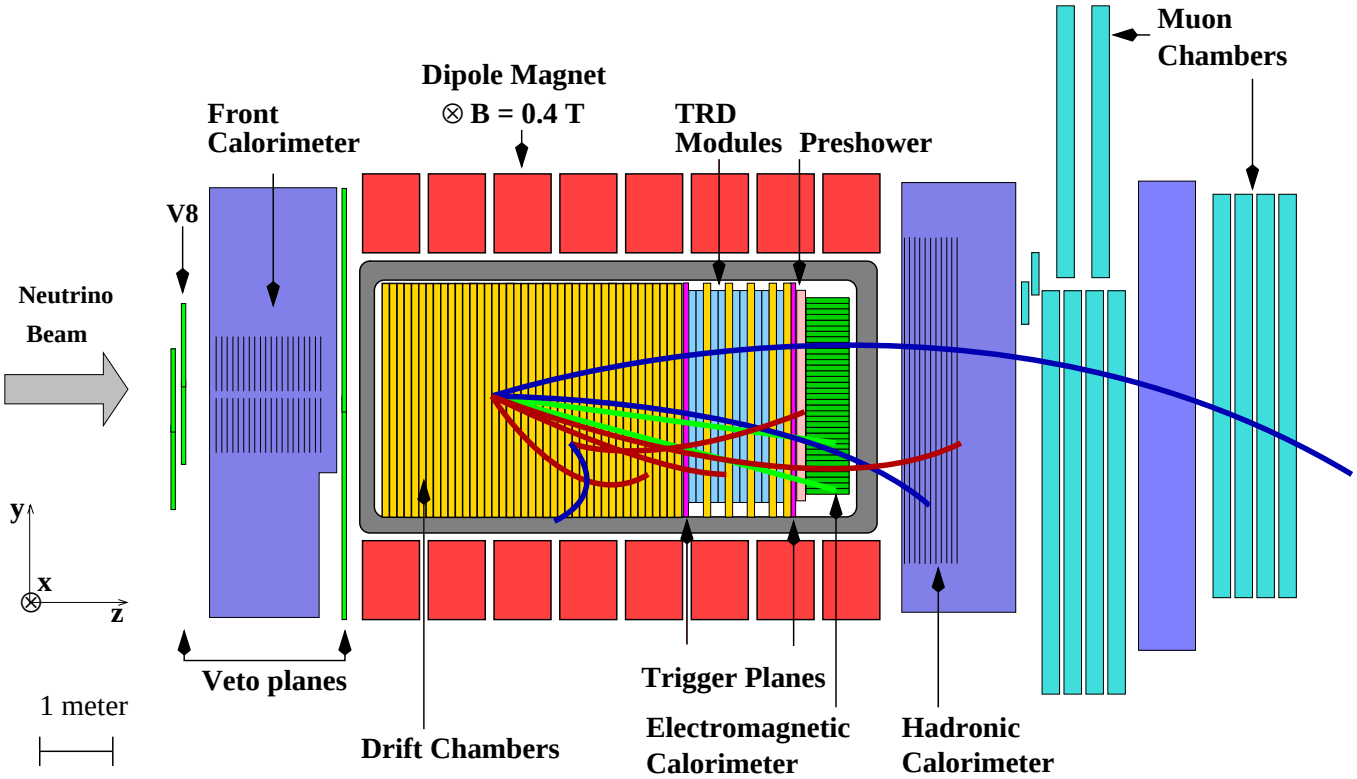
1. NOMAD potentials
   – wide energy spectrum
   provides us study different variables $E_\nu, Q^2, W, x_{B_j}, y$
   – excellent reconstruction and resolution of the individual tracks, good calorimetry
   let us taking good quality of the distributions
   – largest statistics of the neutrino interactions ($\sim$ 1.1M DIS)
   is good chance to get most accurate results
2. Important for theory
   Today exist THREE THEORIES: QEL, RES, DIS
   and no one for just νN (see talk by V.Naumov, O.Teryaev)
   Fundamental ingredients are prepared as model's cuts on Q^2, W

DATA RESULTS EXAMPLE

SLD, TPC, DELPHI, ALEPH, ARGUS, OPAL experiments

$(e^+e^- \to \gamma/Z^0 \to hX)$





GOOD QUALITY OF THE PARTICLE IDENTIFICATION

1. Current muon in Muon Chambers
2. Charged particles ($\pi^{\pm}$, p, ...) in Drift Chambers
3. Neutral particles (γ, n, ...) in Electromagnetic Calorimeter
4. Neutral strange particles (K^0_S, Λ, $\bar{\Lambda}$) and photons ($\gamma \rightarrow e^+e^-$) by V-like vertexes
5. Possibility to study $\pi^0 \rightarrow \gamma\gamma$ production

OUTLINE

ANALYSIS FLOW

1. Taking raw data

   is getting reconstructed informations (tracks, deposit energies, ...)

2. MC study

   is calculation of efficiency, smearing, ...
   $\varepsilon(x^{sim})$ - efficiency, $r(x^{rec}, x^{sim})$ - resolution matrix,
   $p(x^{rec})$ - purity

3. DATA unfolding

   is correction of raw data $\quad n_\pi = \frac{\varepsilon_\pi^{-1} r_\pi^{-1} p_\pi^{-1} N^{rec}(\nu_\mu N \to \mu^- \pi X)}{\varepsilon_{\nu cc}^{-1} r_{\nu cc}^{-1} p_{\nu cc}^{-1} N^{rec}(\nu_\mu N \to \mu^- X)}$

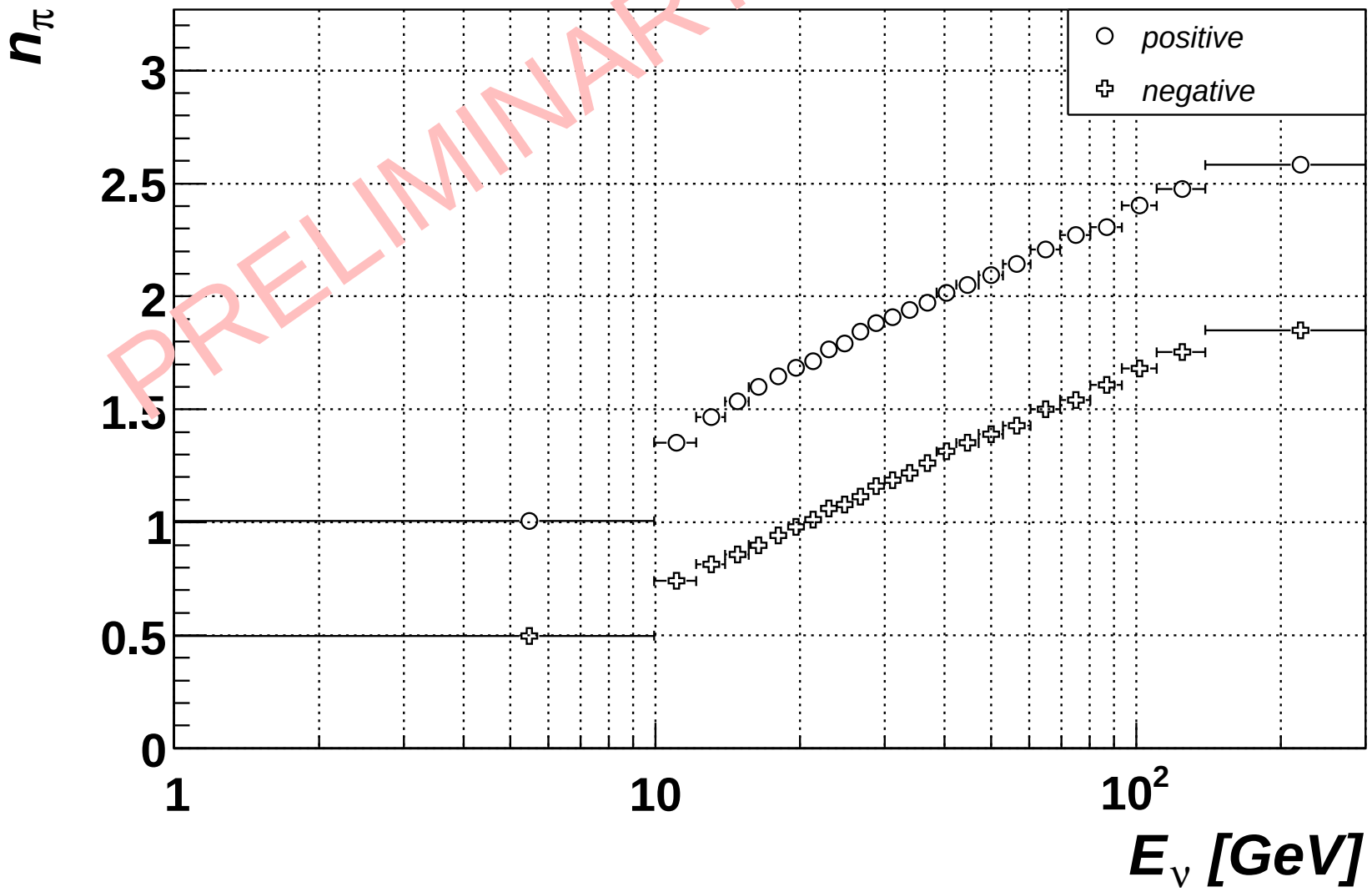
DATA SELECTION

1. Fiducial volume of the Drift Chambers:
   $|x, y| < 120$ cm, $35 < z < 395$ cm
2. No kinematics cuts:
   $E_\nu, Q^2, W, x_{b_j}, y$
3. $\nu_\mu N$ total (QEL, RES, DIS) - DIS to be finished soon
4. Now just 96th years DATA subset ($\sim$ 320k events)

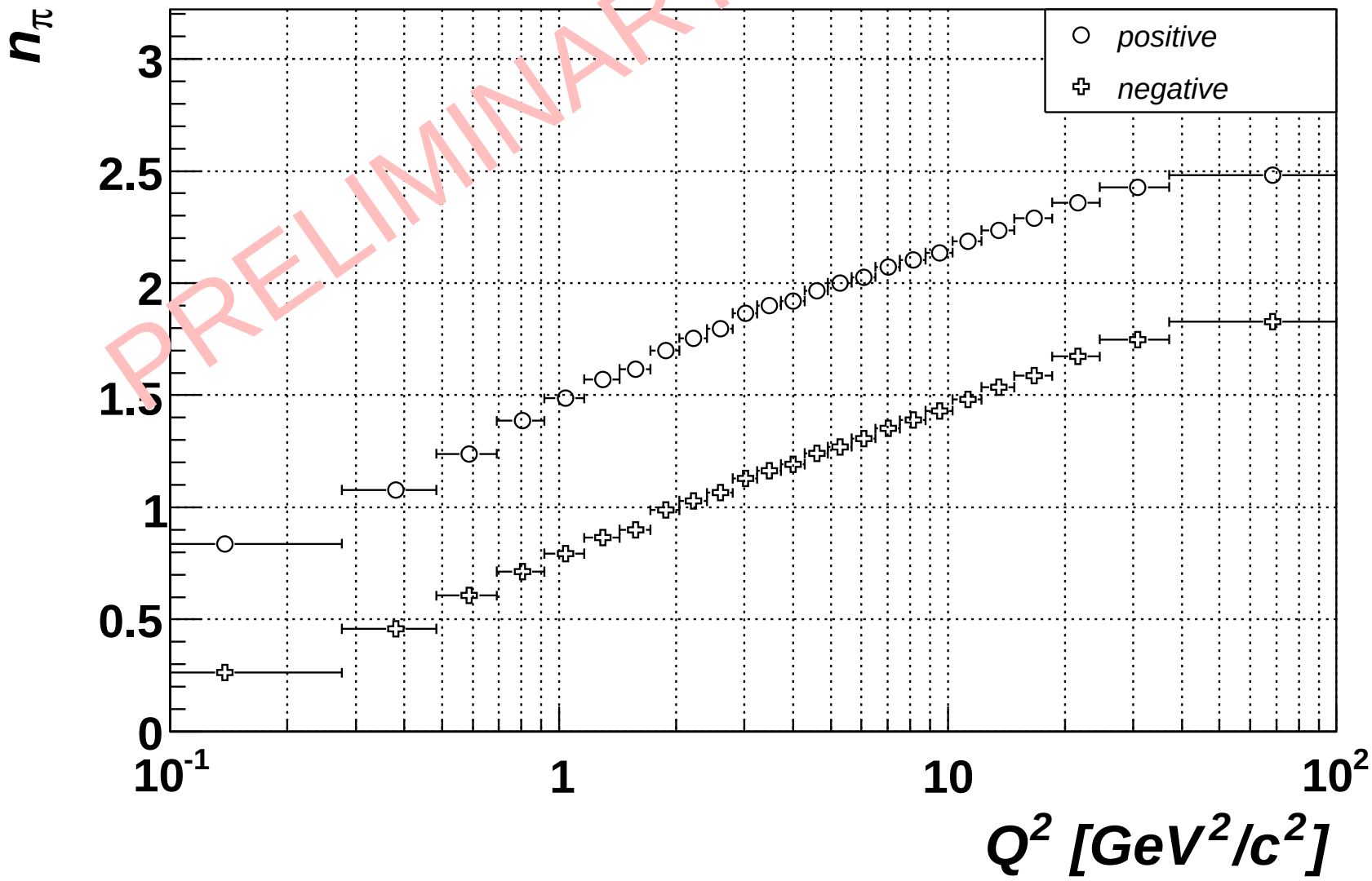
MC

1. NOMAD MC tuned to reproduce yields of $\pi, \rho, K, f^0, ...$-mesons, $\Lambda, \bar{\Lambda}, \Sigma, ...$-hiperons (many years of work) in DIS

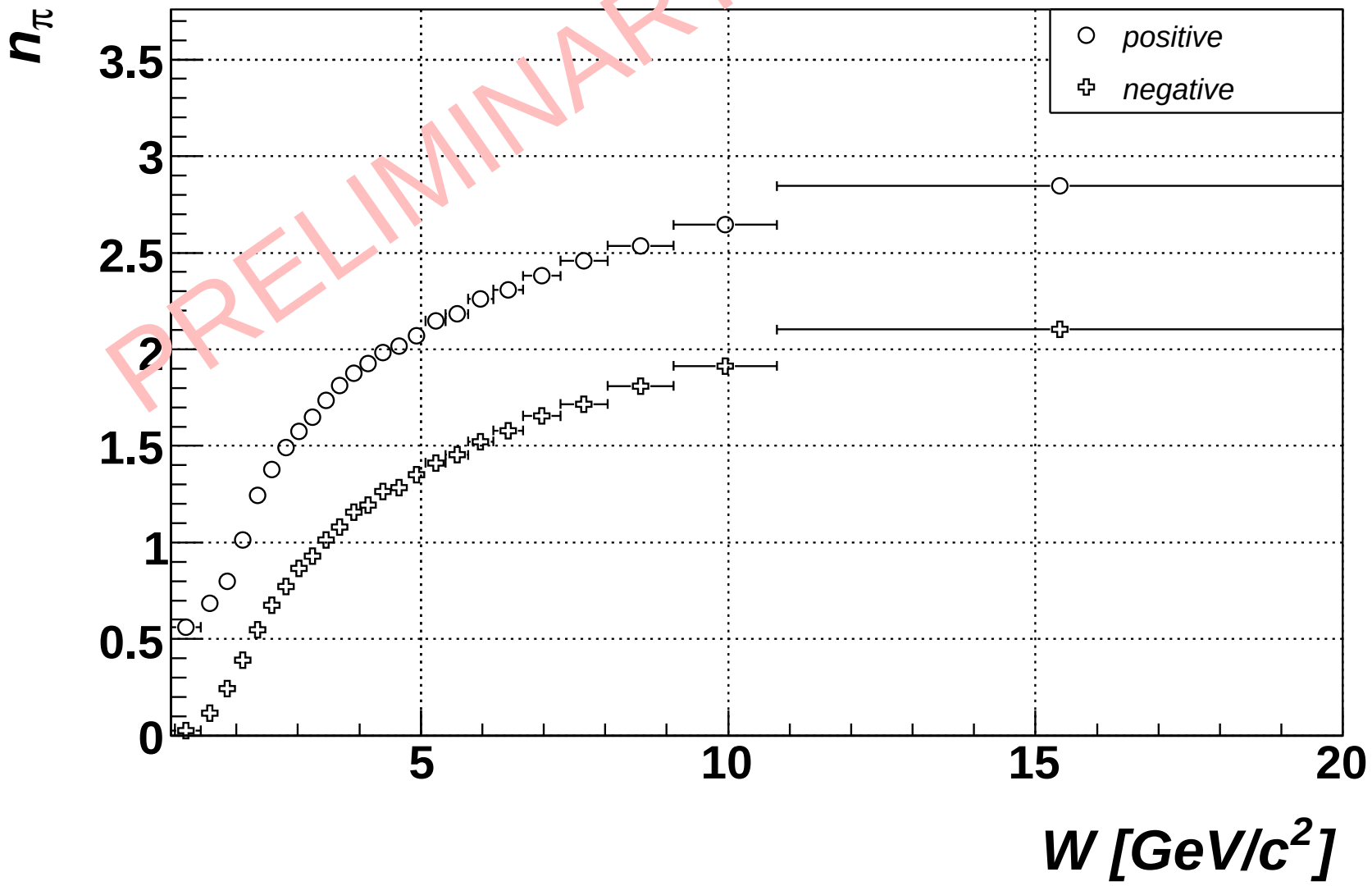
π production



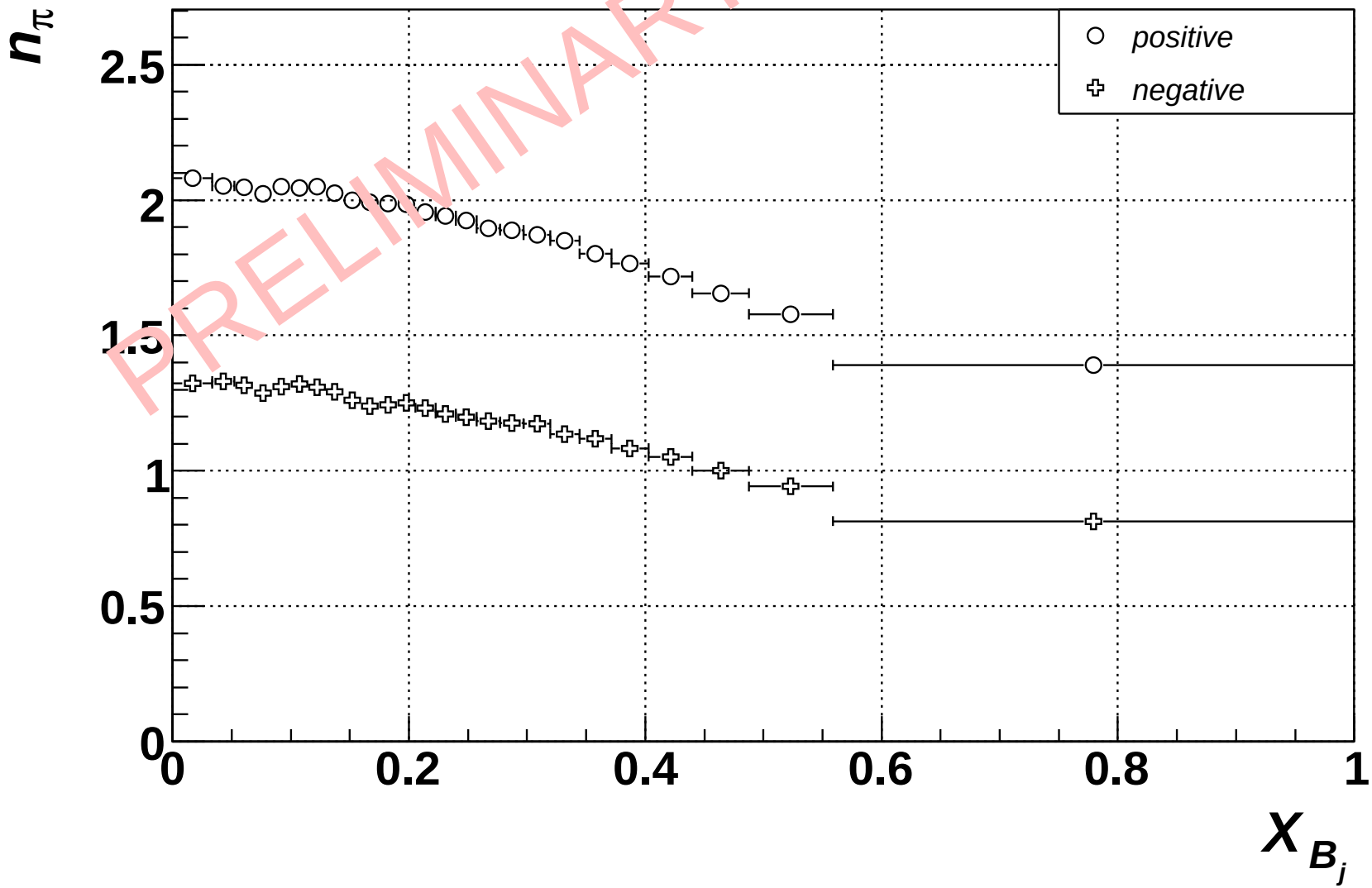
π production



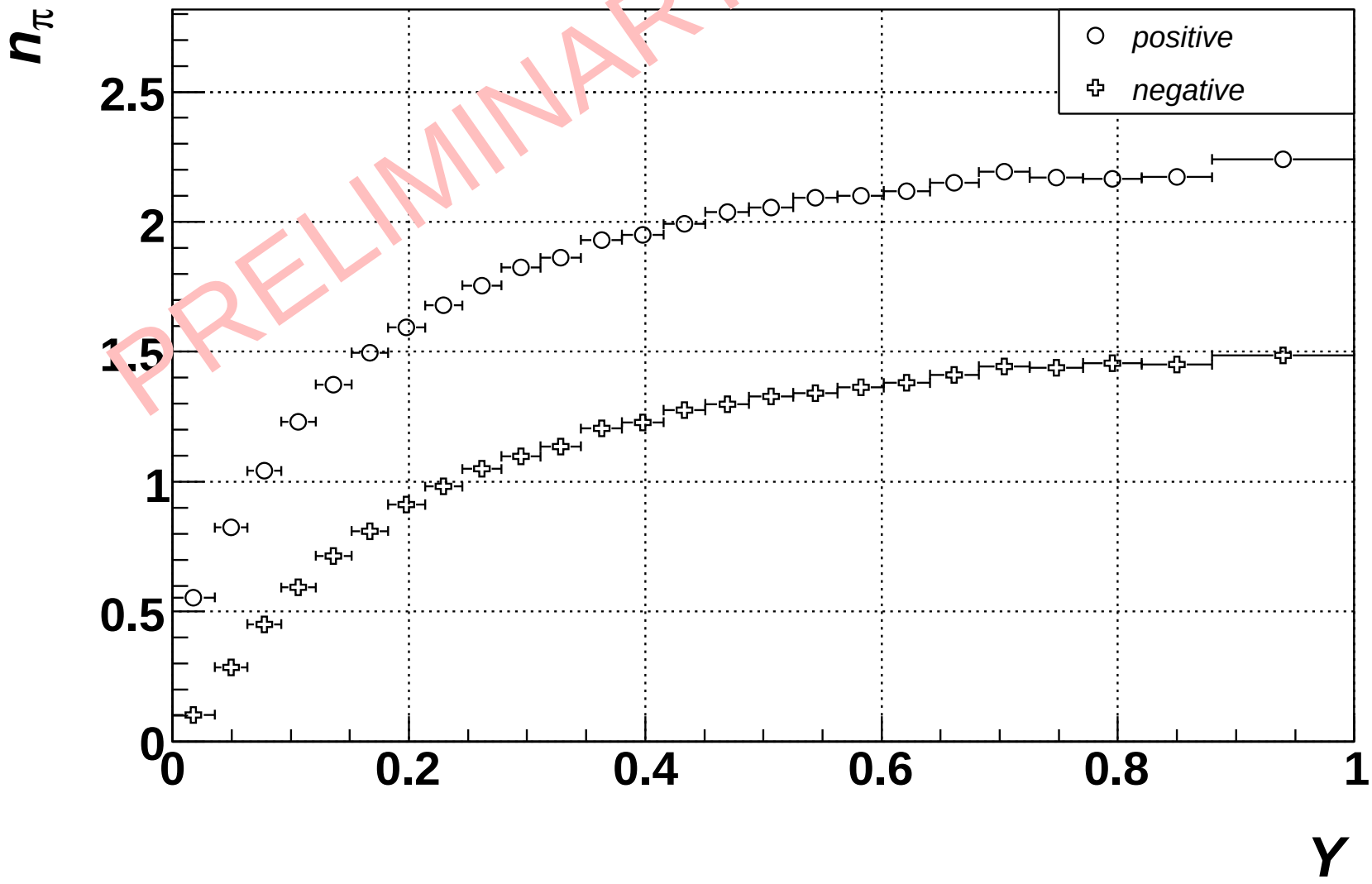
π production



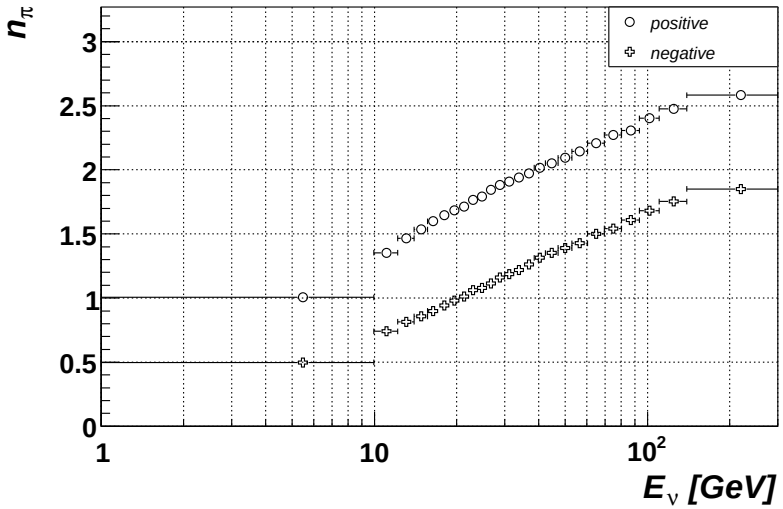
π production



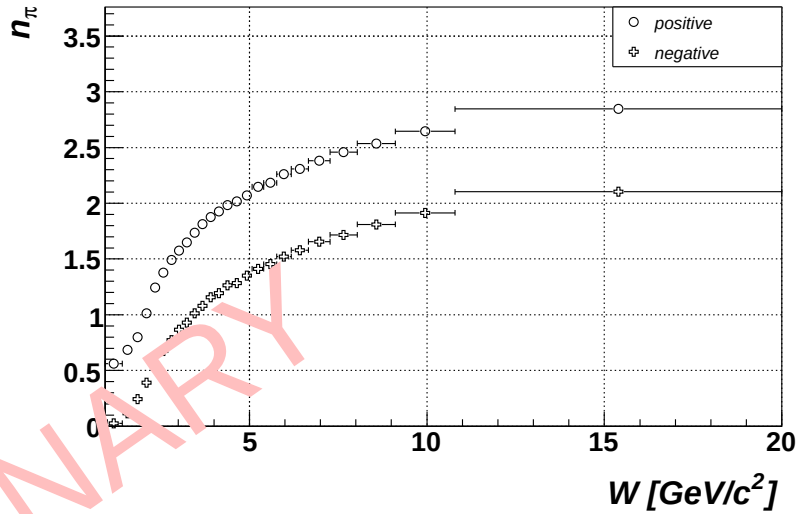
π production



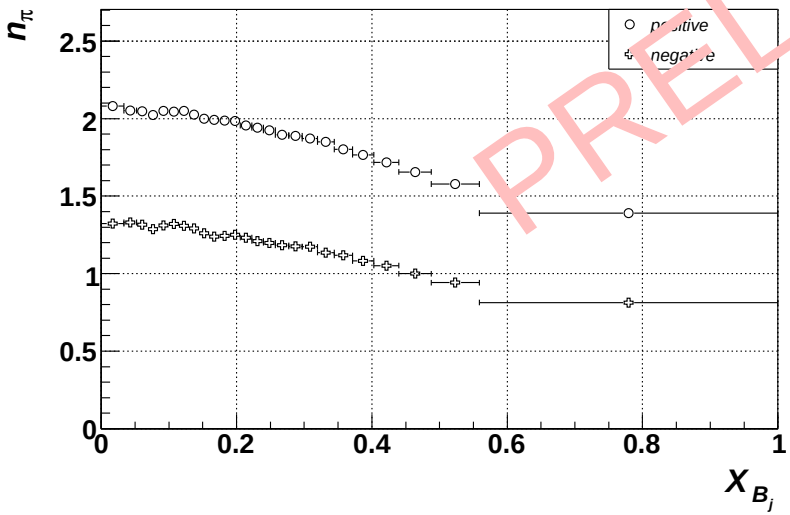
π production



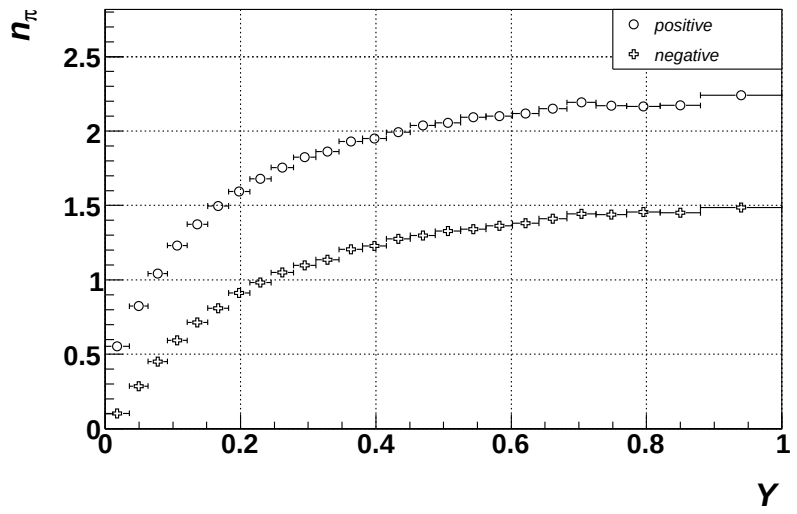
π production



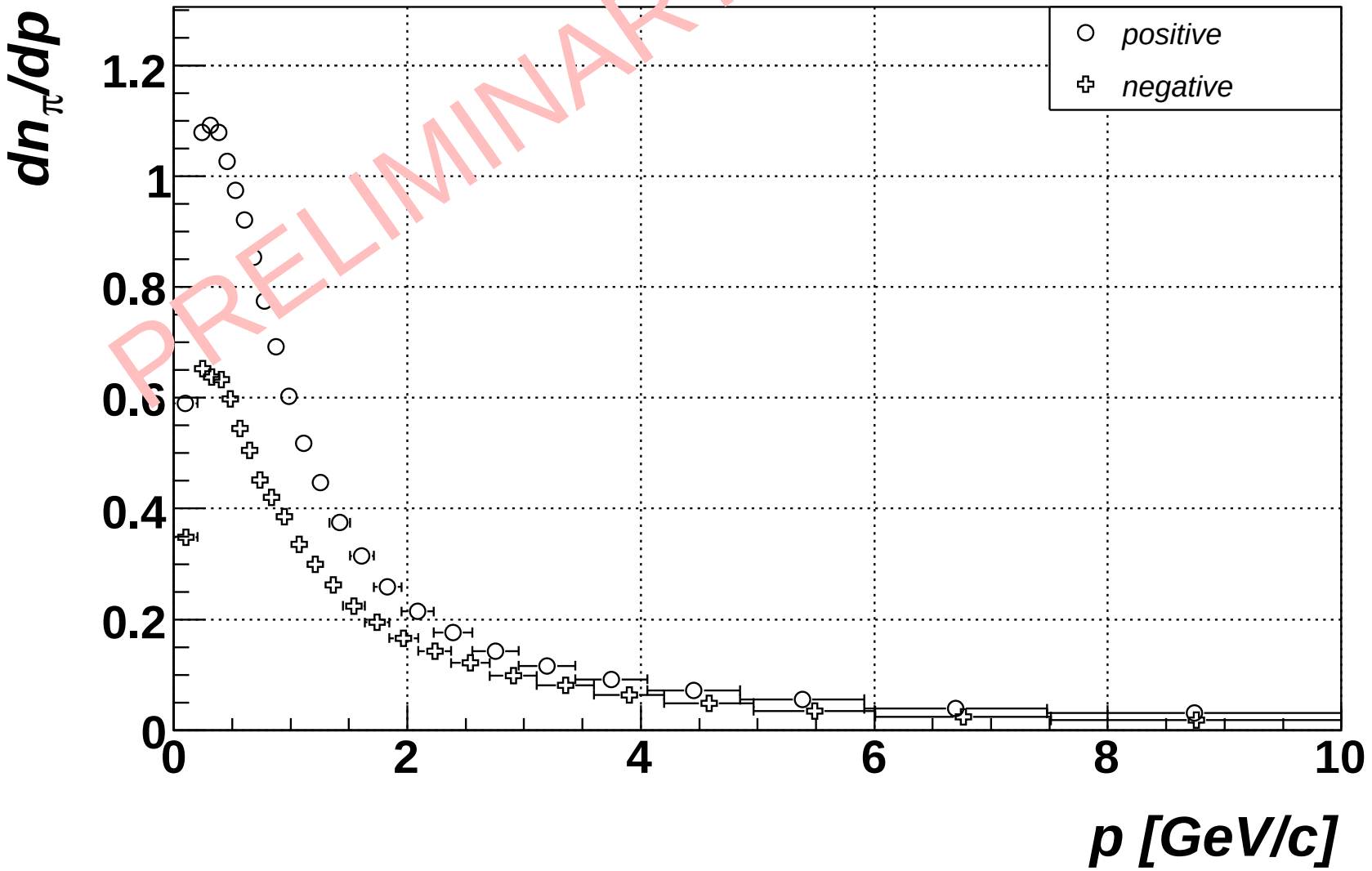
π production



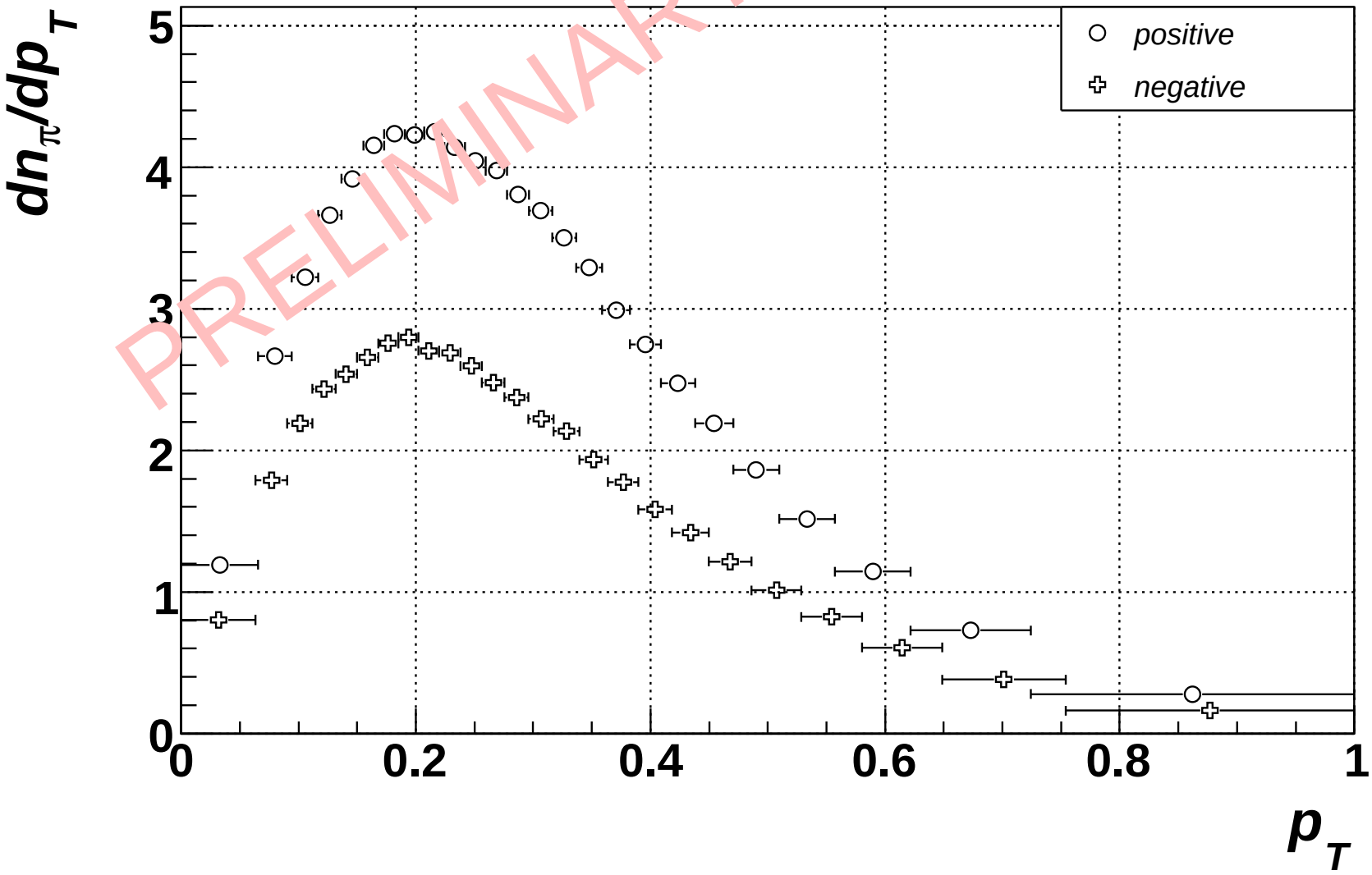
π production



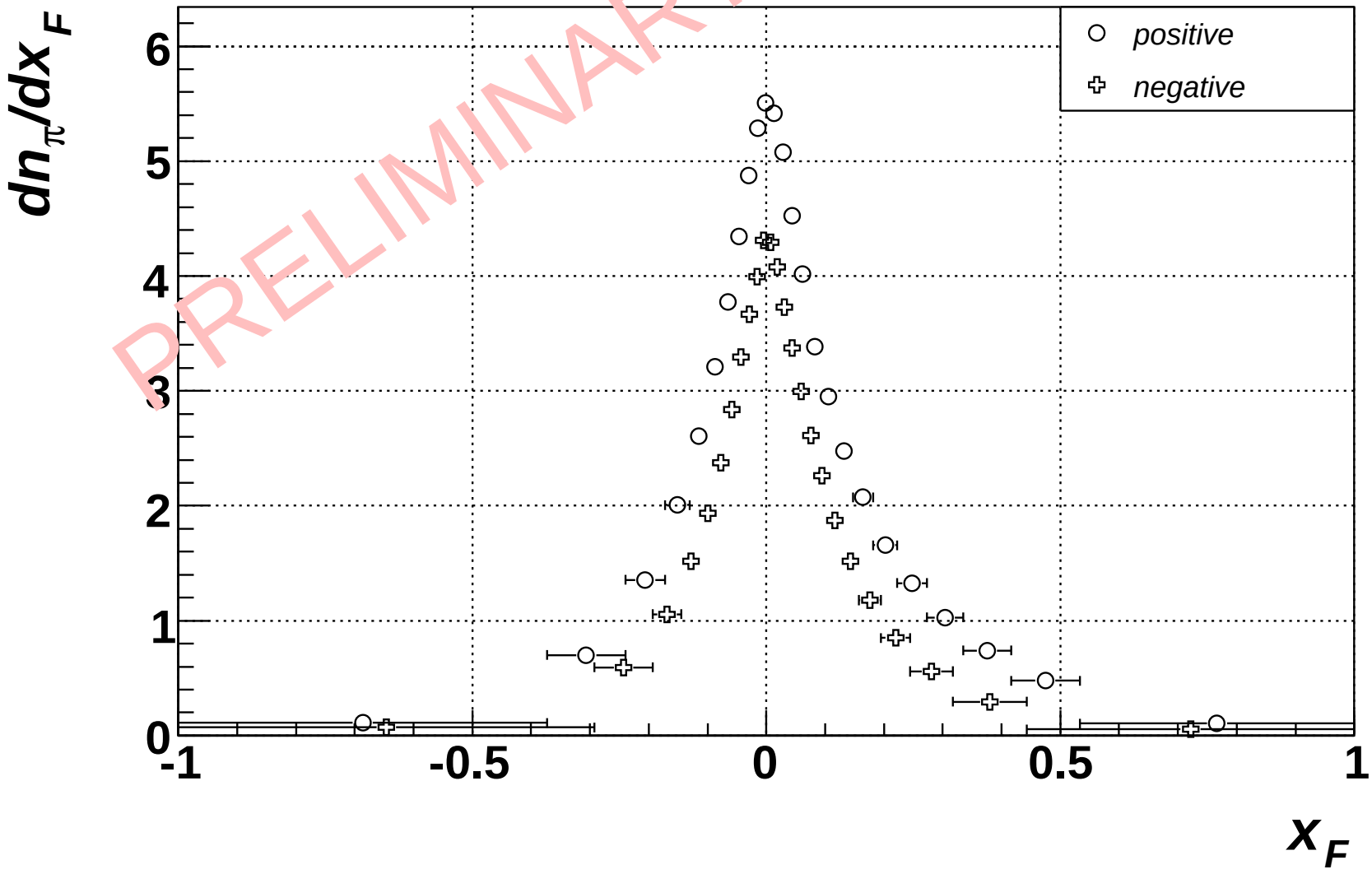
π production



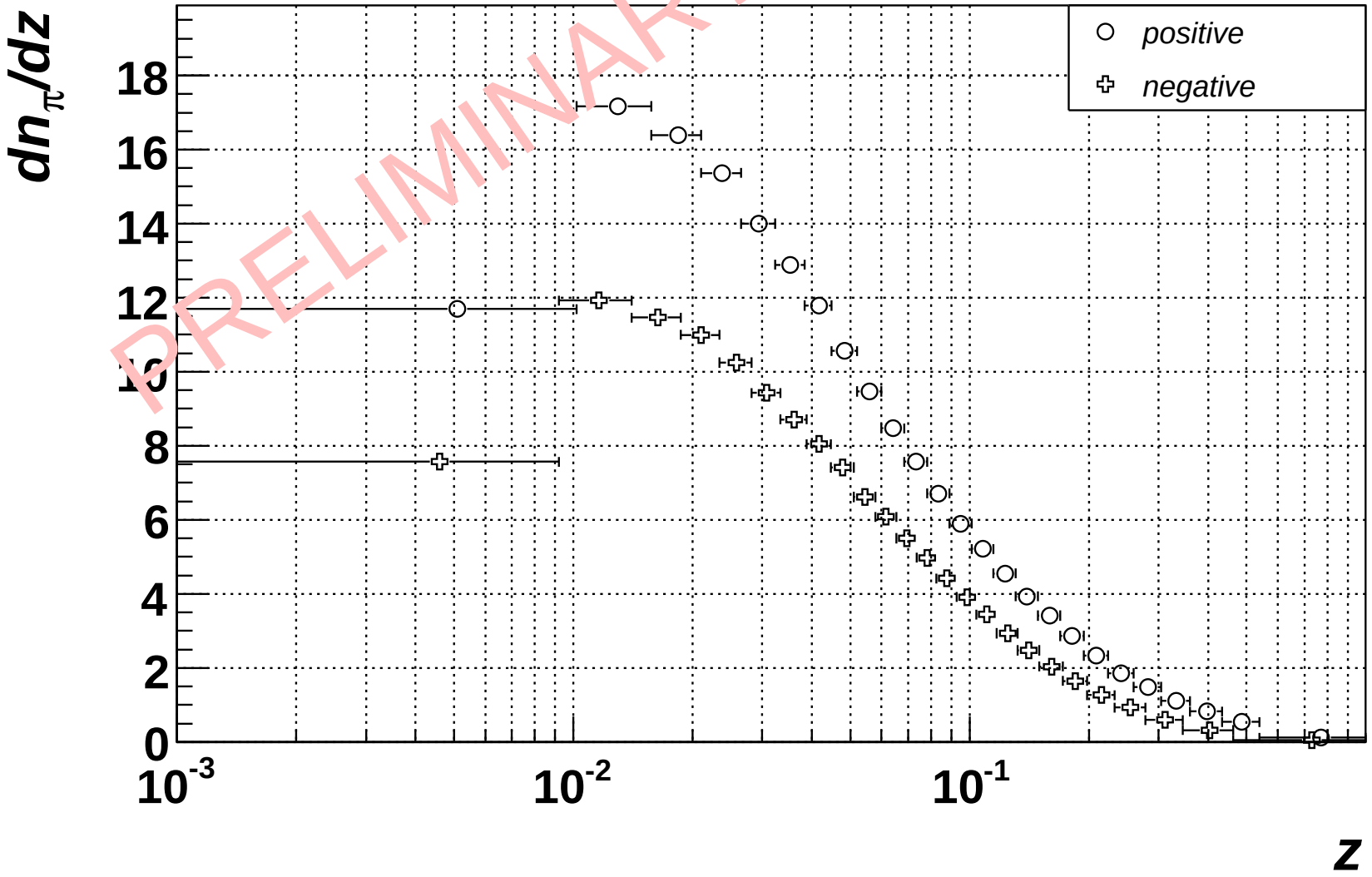
π production



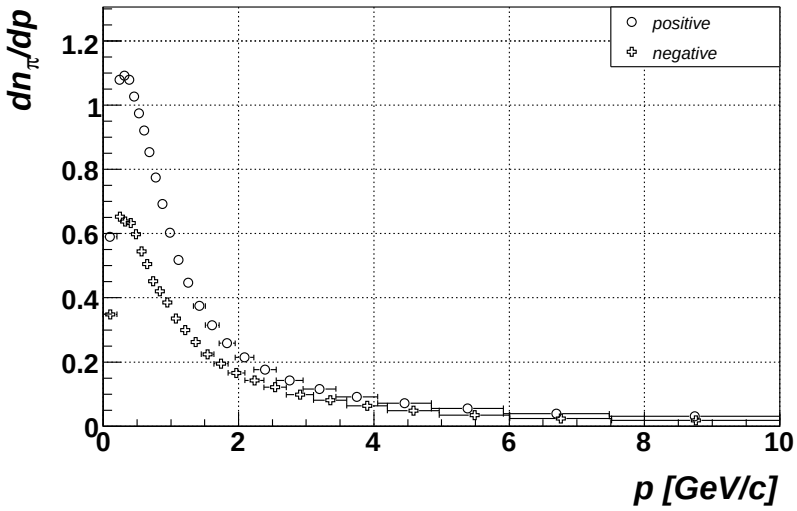
π production



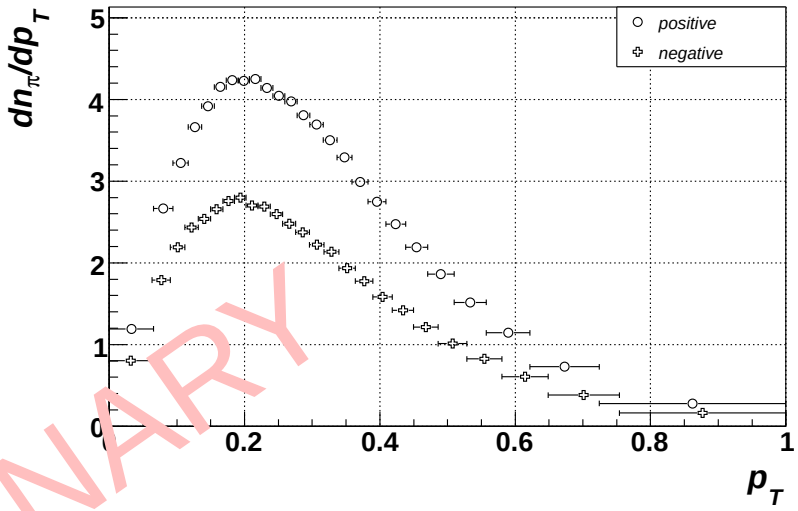
π production



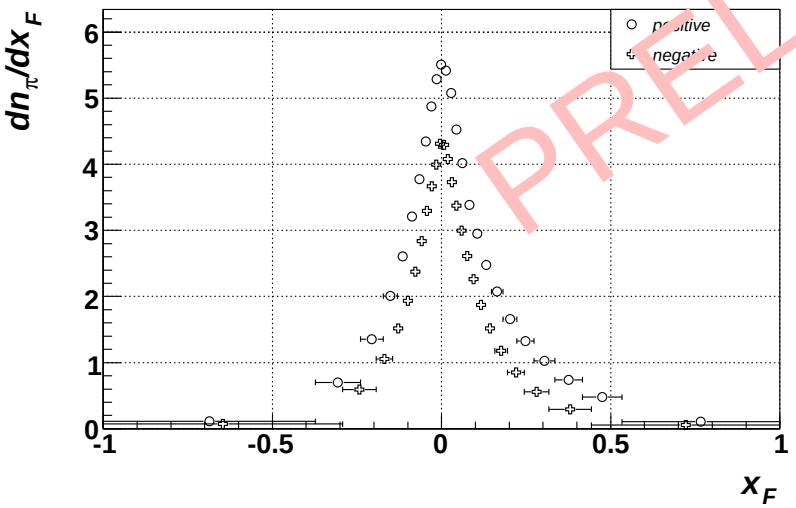
π production



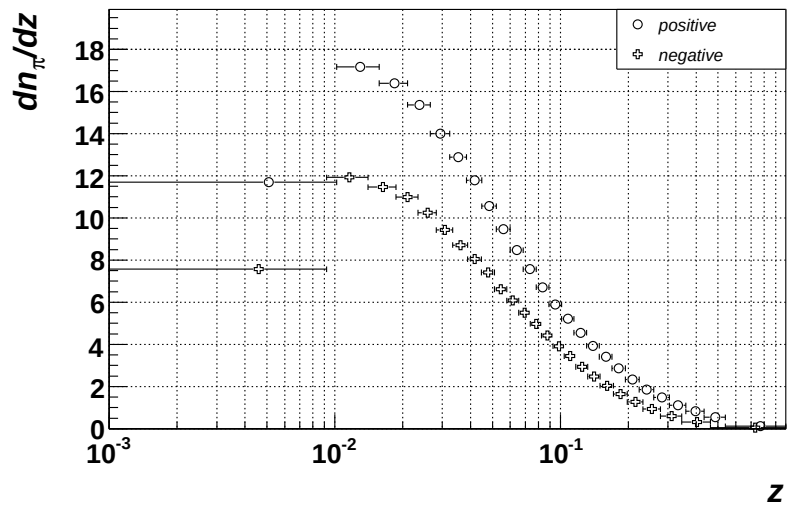
π production



π production



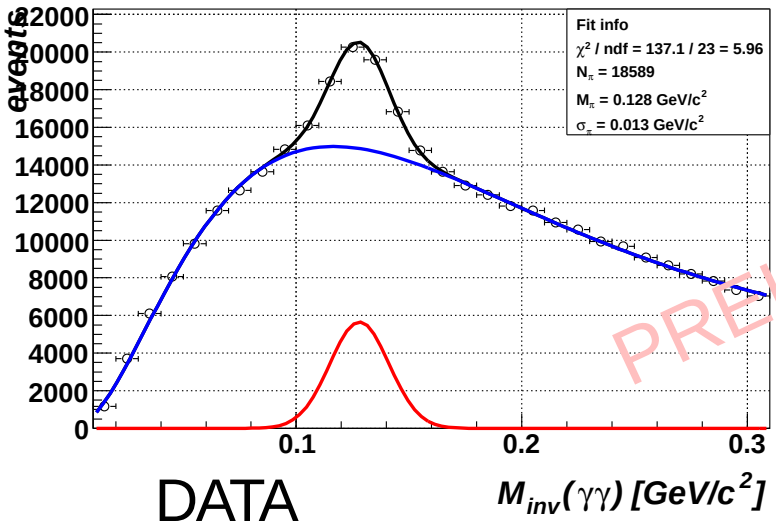
π production

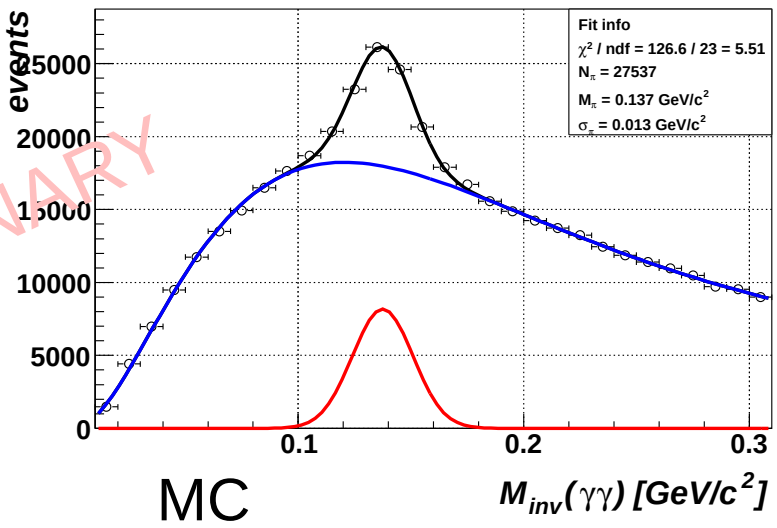


π^0 PRODUCTION

π^0 PRODUCTIONS (JUST INTEGRAL)

$$n_\pi = \frac{\varepsilon_\pi^{-1} N^{rec}(\nu_\mu N \to \mu^- \pi X)}{\varepsilon_{\nu cc}^{-1} N^{rec}(\nu_\mu N \to \mu^- X)}$$





DATA (MC)	π^+	π^-	π^0
n_π	1.86(1.99)	1.17(1.22)	1.32(1.78)

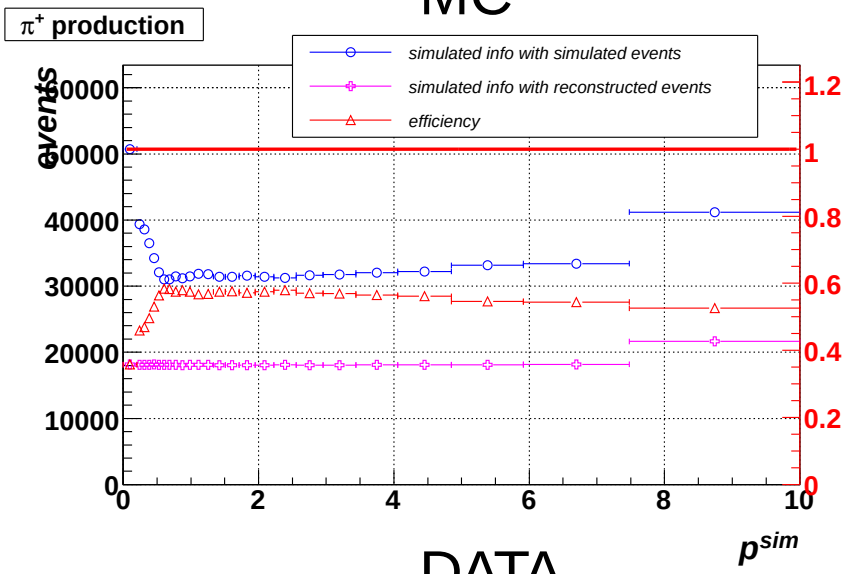
OUTLINE

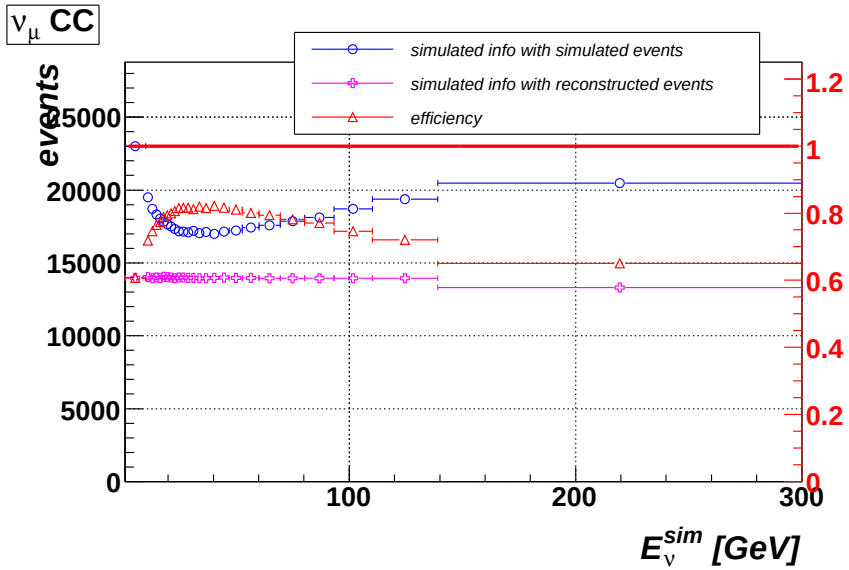
SUMMARY

1. We started to study pion production properties in $\nu_\mu N$ interactions in the NOMAD experiment
2. Based on fragmentation function conception and using 96th year data subset we got preliminary $\pi^{\pm}$-mesons yields as functions of kinematics variables $E_\nu, Q^2, W, x_{B_j}, y$ and fragmentation variables x_F, z, p_T, p in $\nu_\mu N$ total
3. We got integral production of π^0-meson and compared it with the same of $\pi^{\pm}$-mesons
4. We plan to get π^0-meson yields, study DIS and select RES from total $\nu_\mu N$ interactions

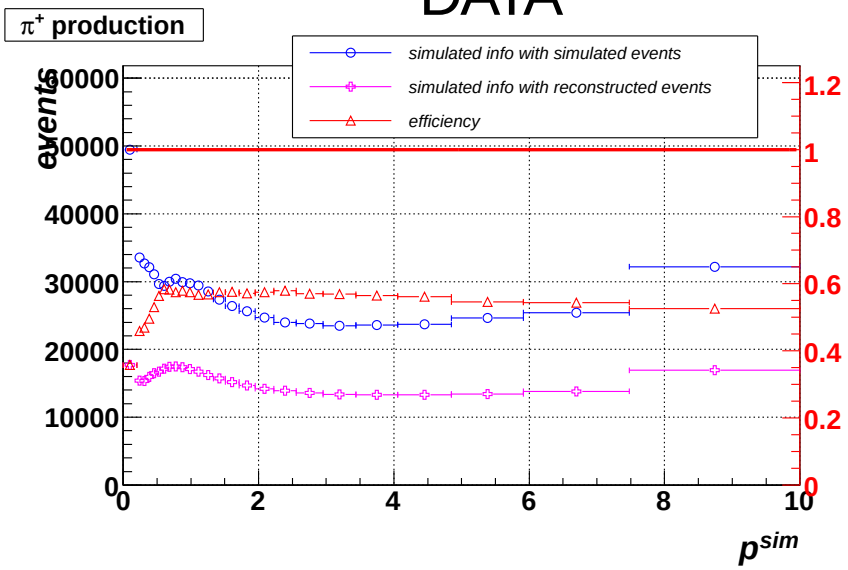
EFFICIENCY

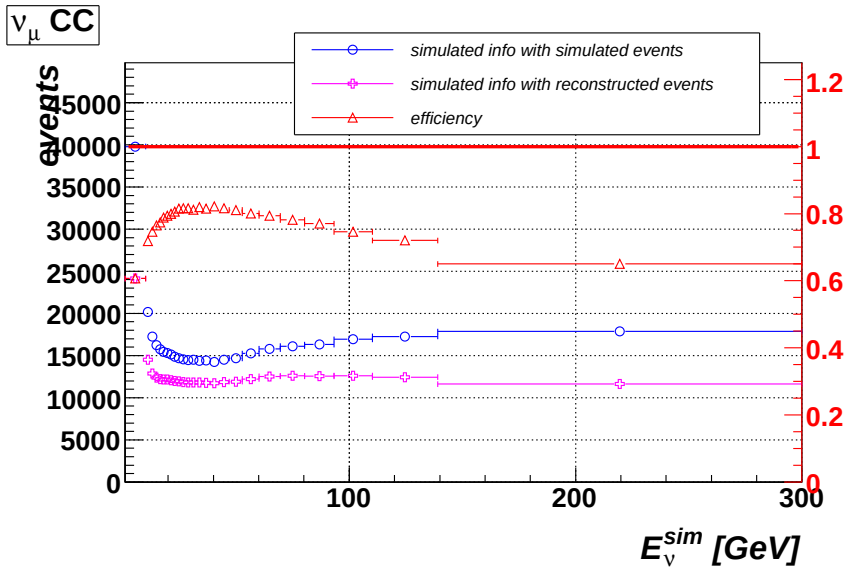
MC





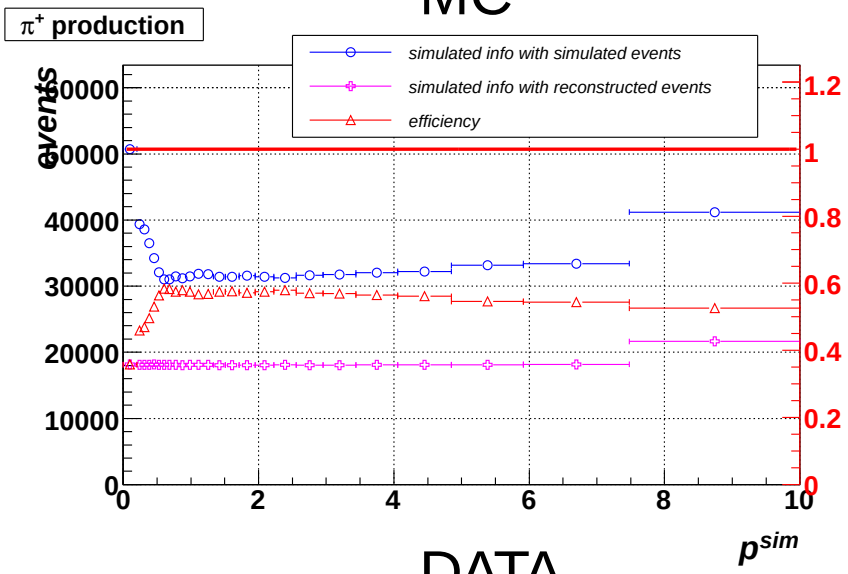
DATA

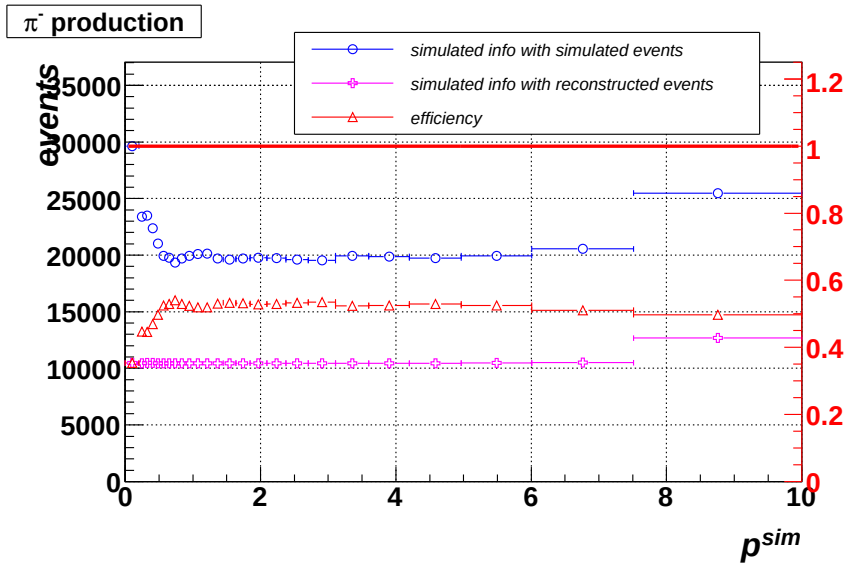




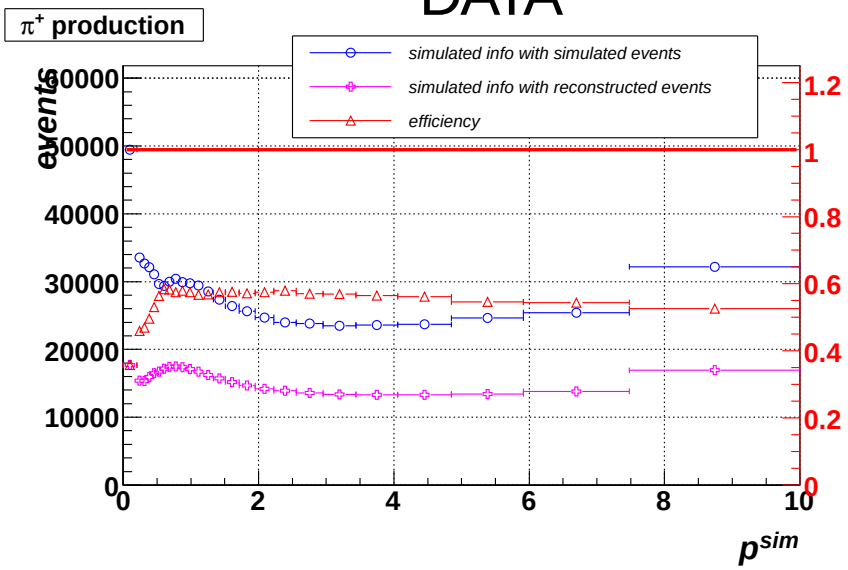
EFFICIENCY

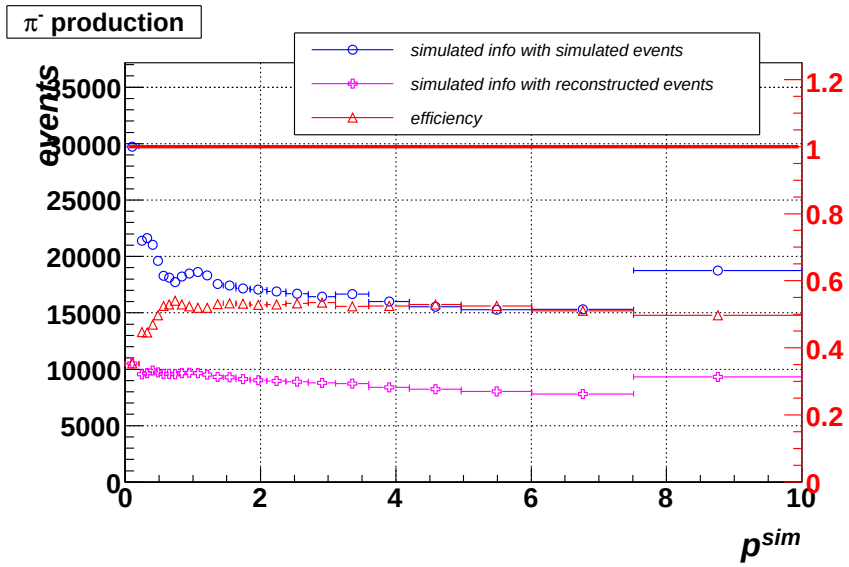
MC



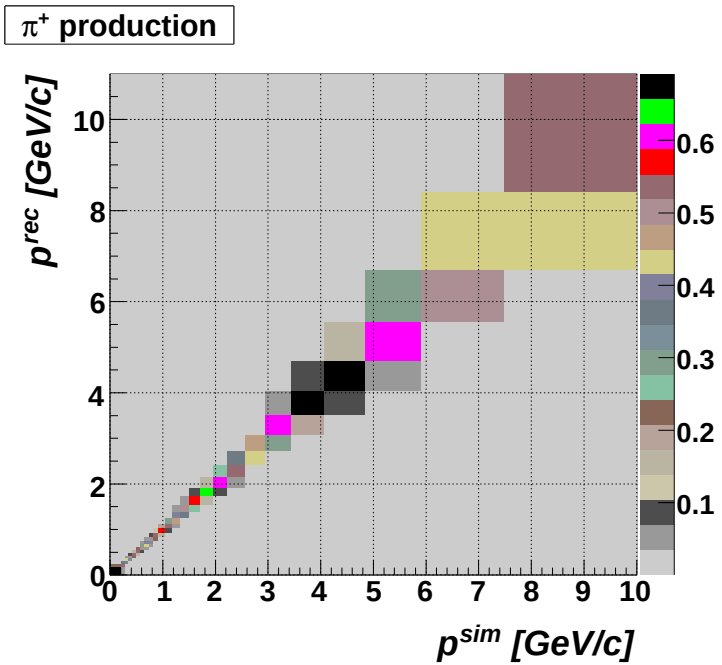


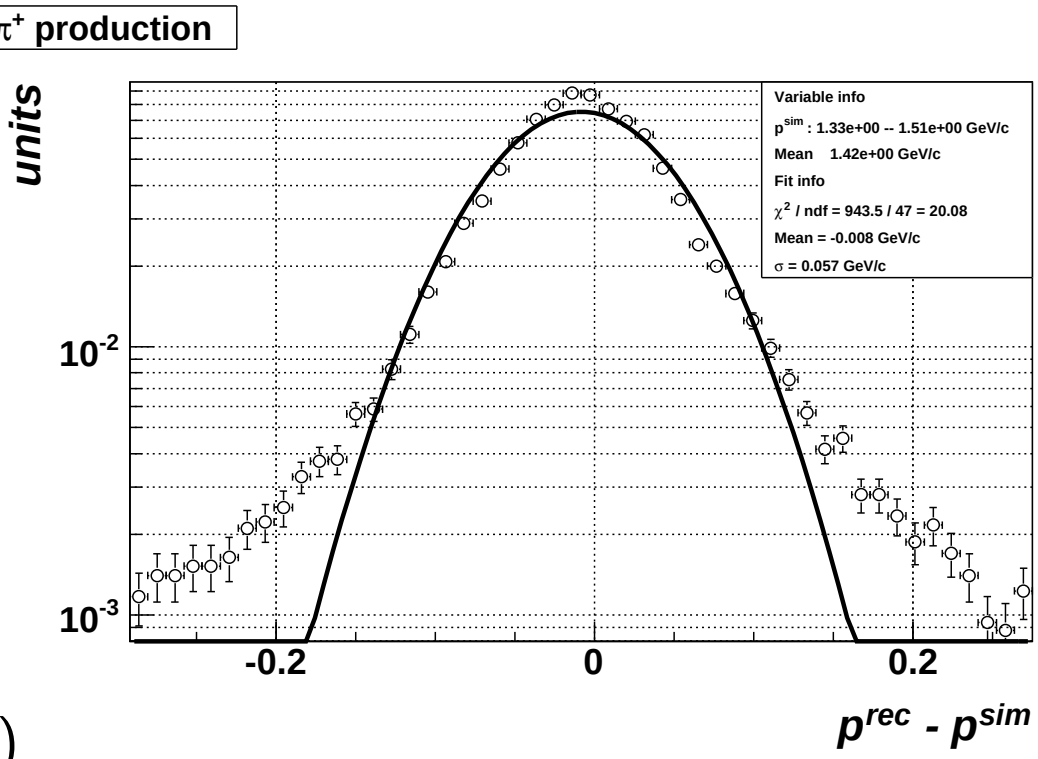
DATA





RESOLUTION



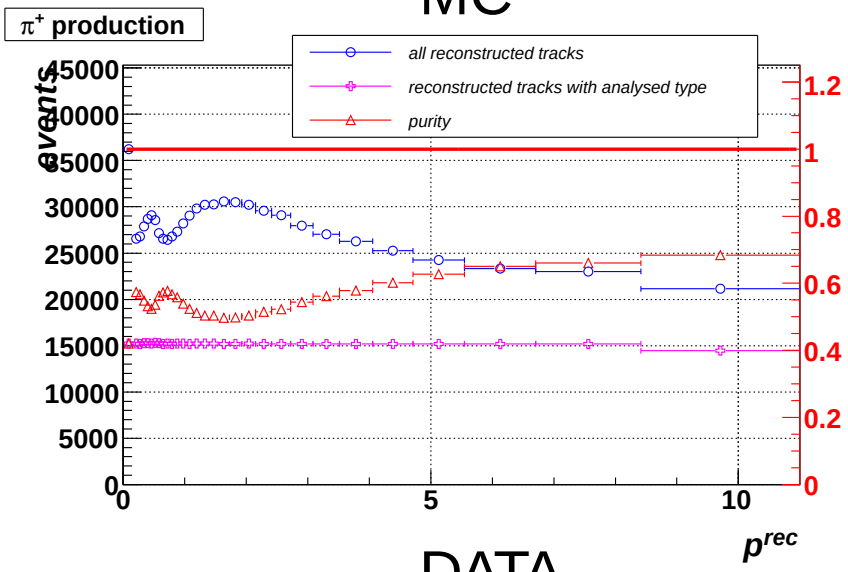


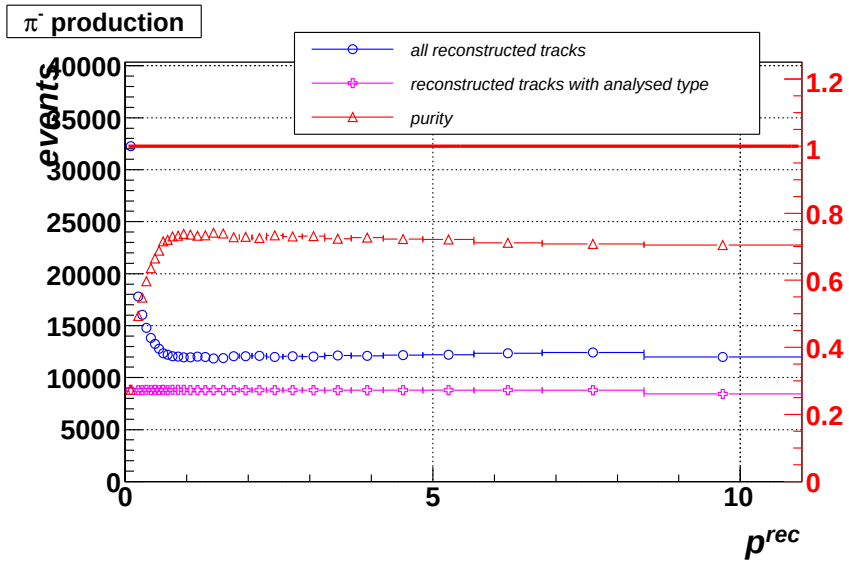
$$f^{rec}(p^{rec}) = r(p^{rec}, p^{sim}) \cdot f_{\varepsilon}^{sim}(p^{sim})$$

An example of one slice

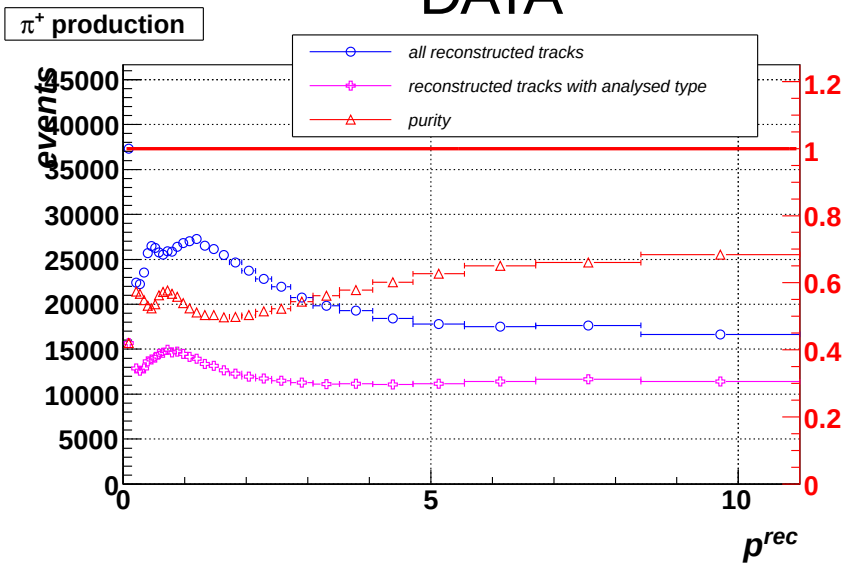
PURITY

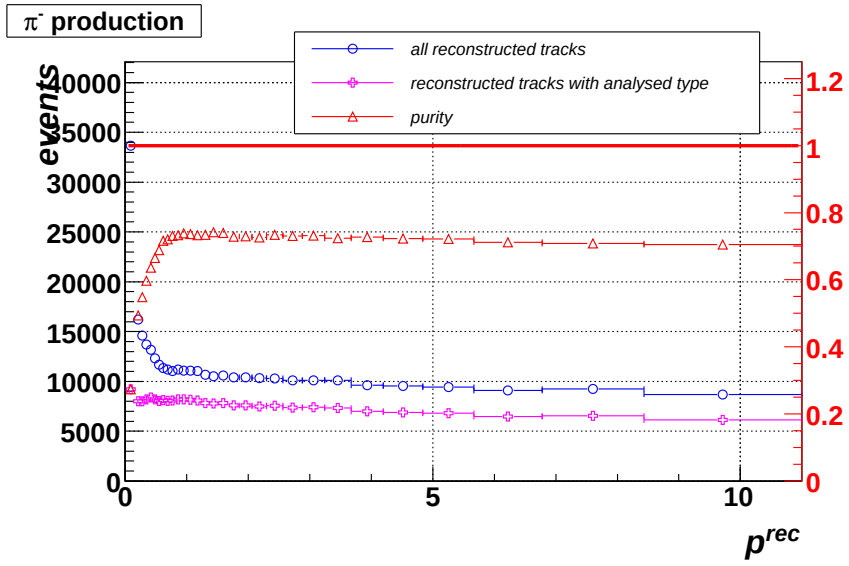
MC





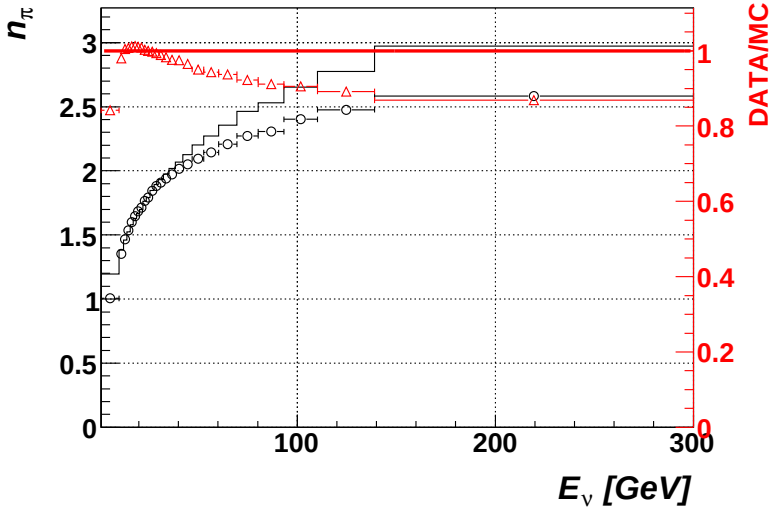
DATA



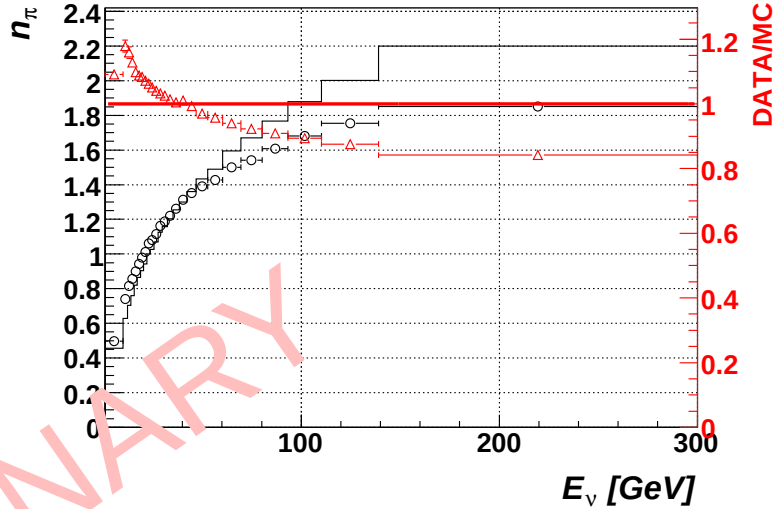


DATA vs MC

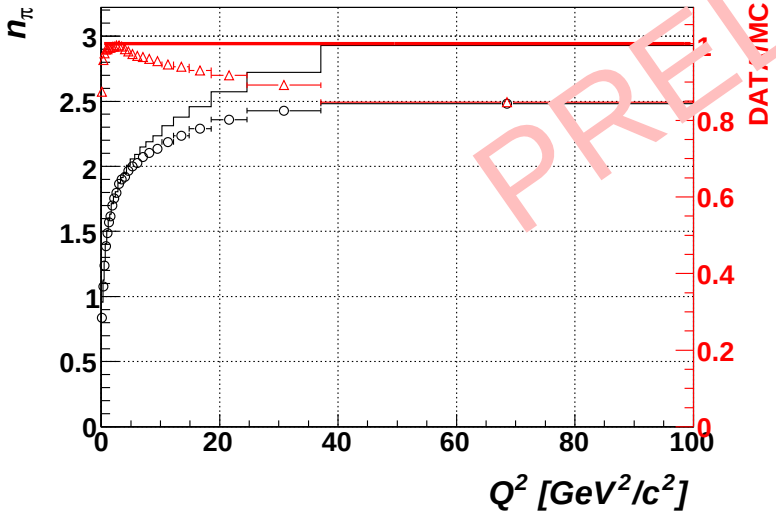
π^+ production



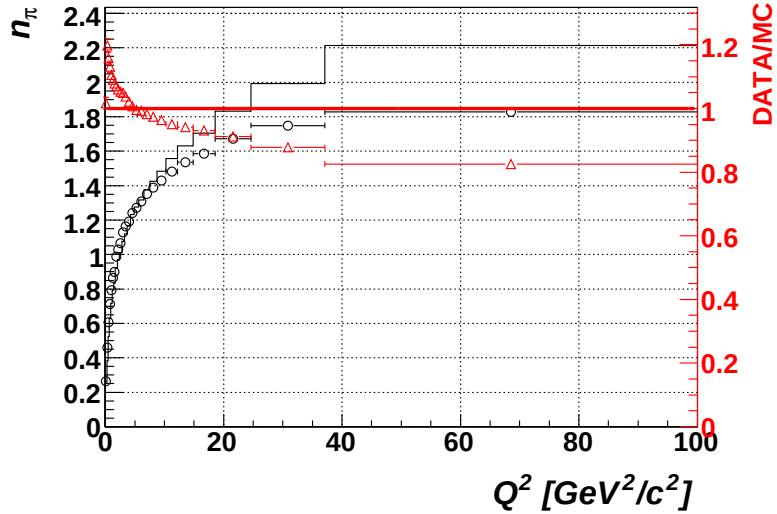
π^- production



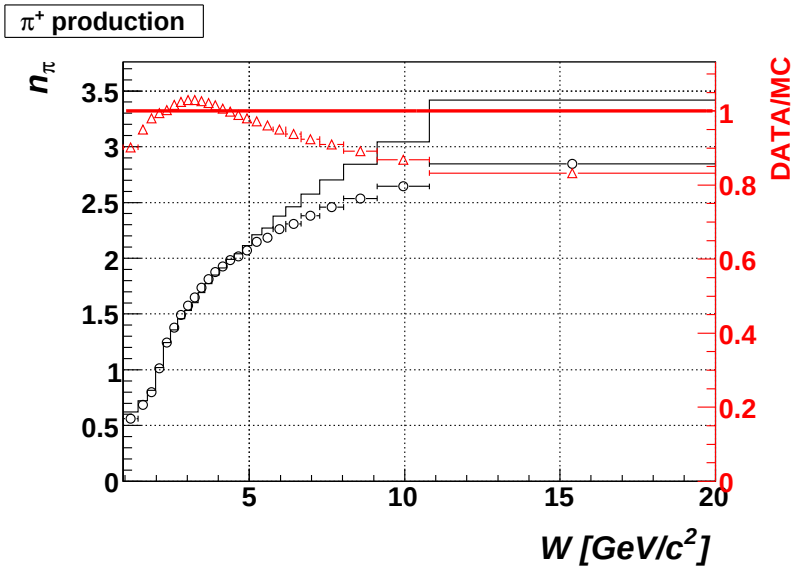
π^+ production

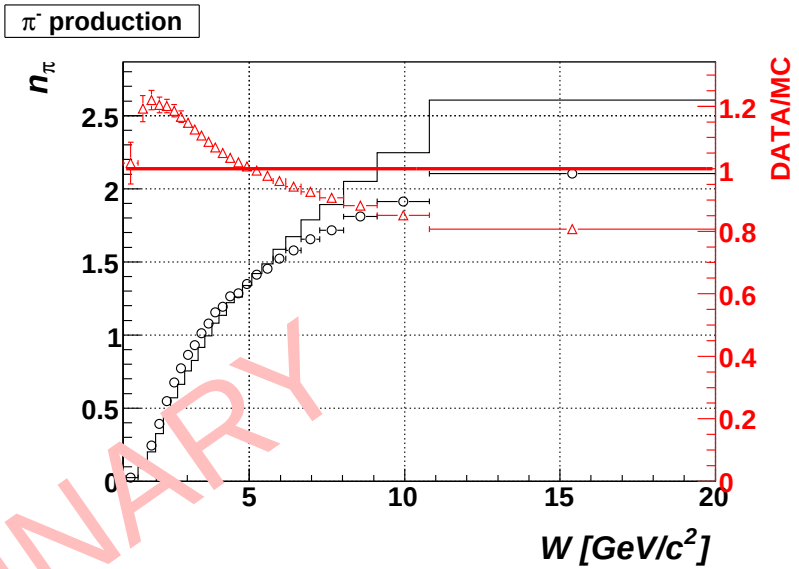


π^- production



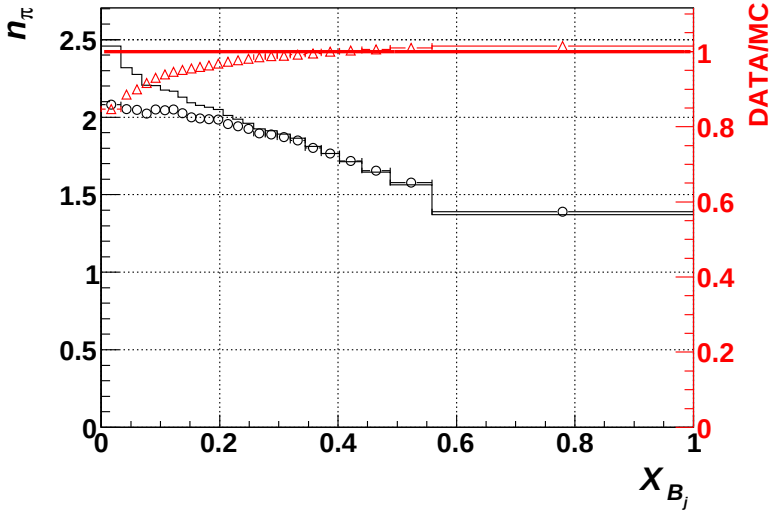
DATA vs MC



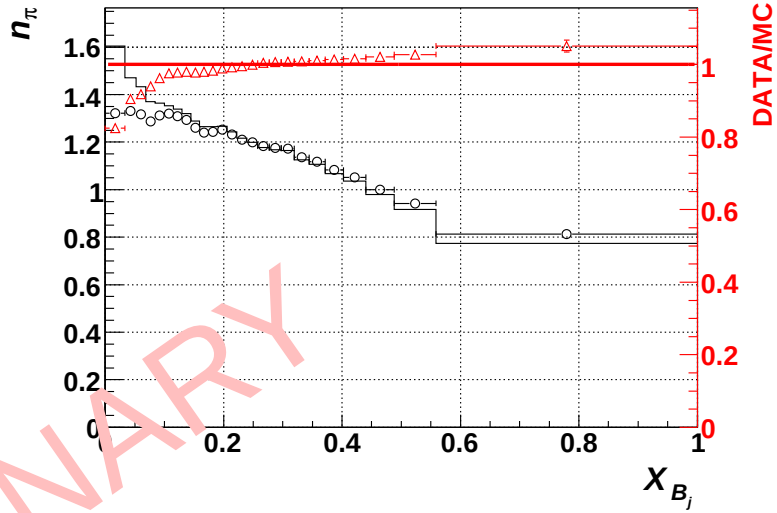


DATA vs MC

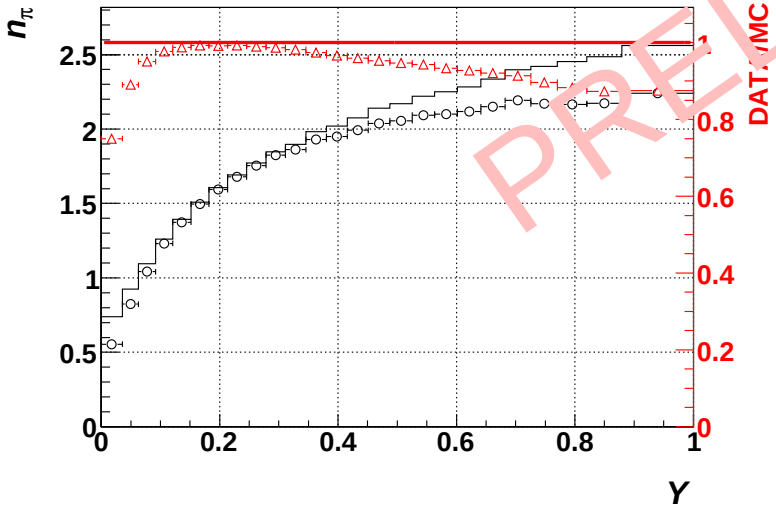
π^+ production



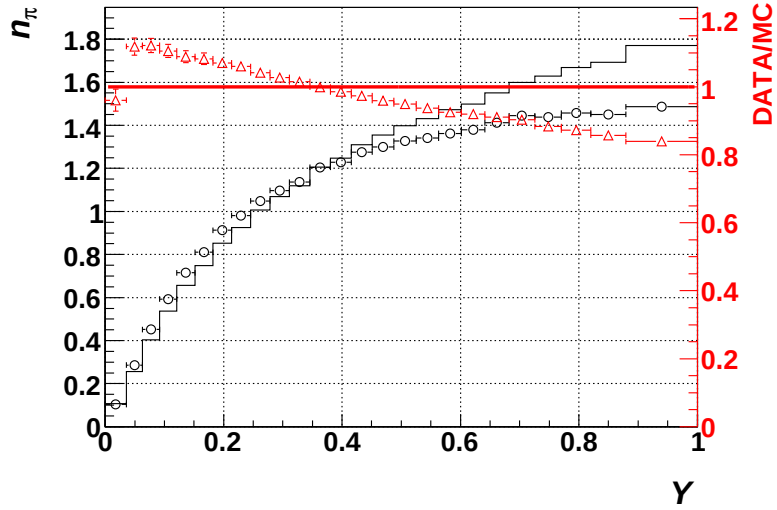
π^- production



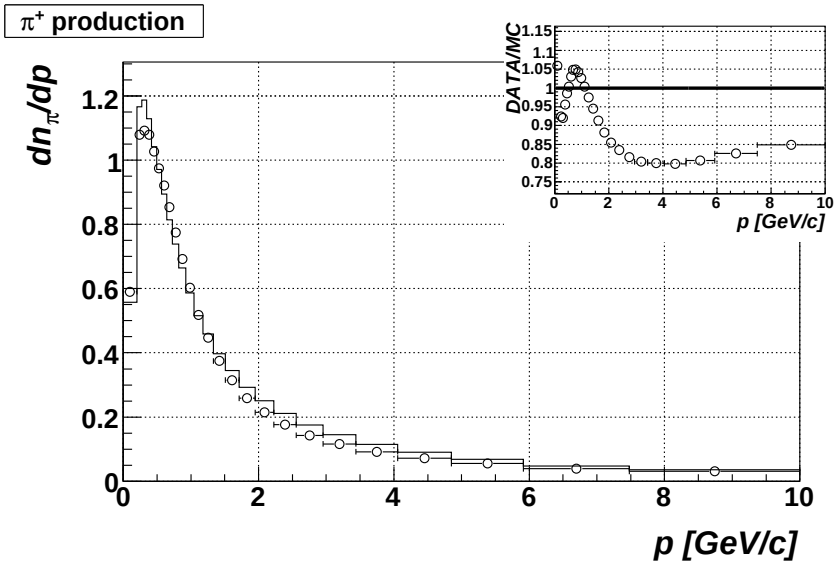
π^+ production

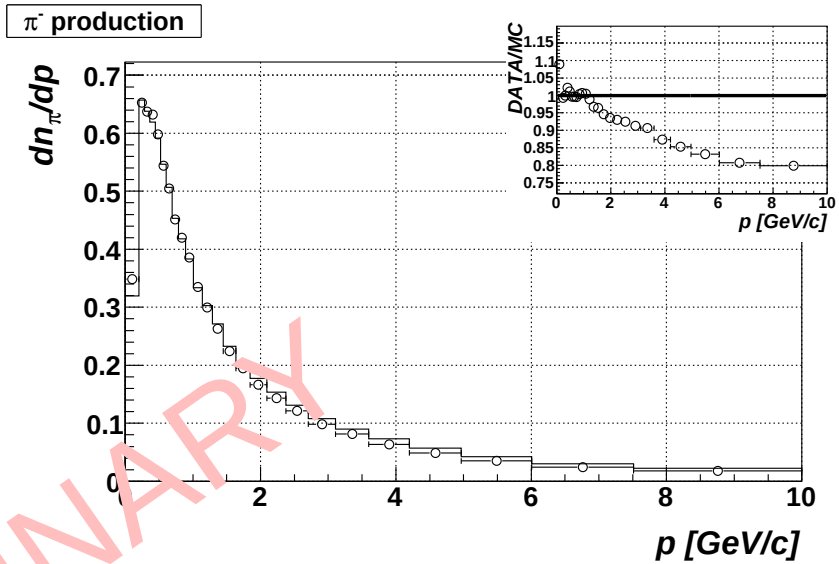


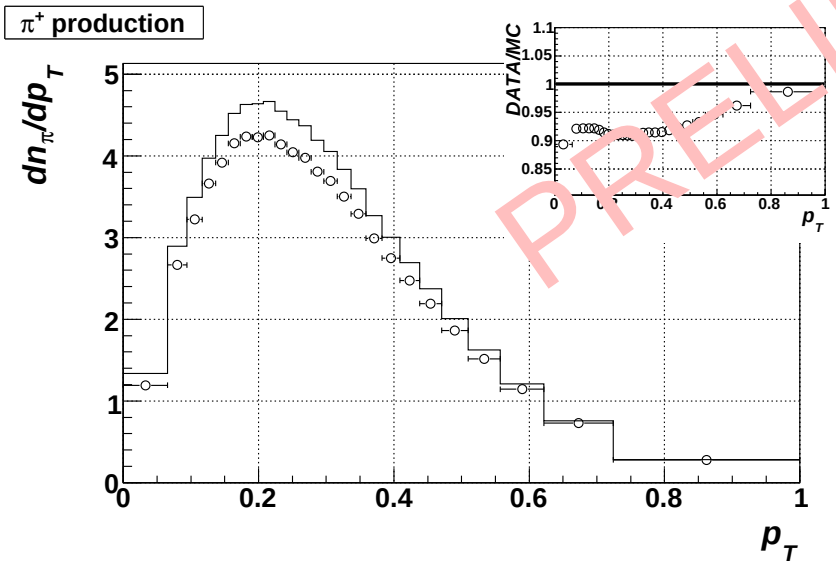
π^- production

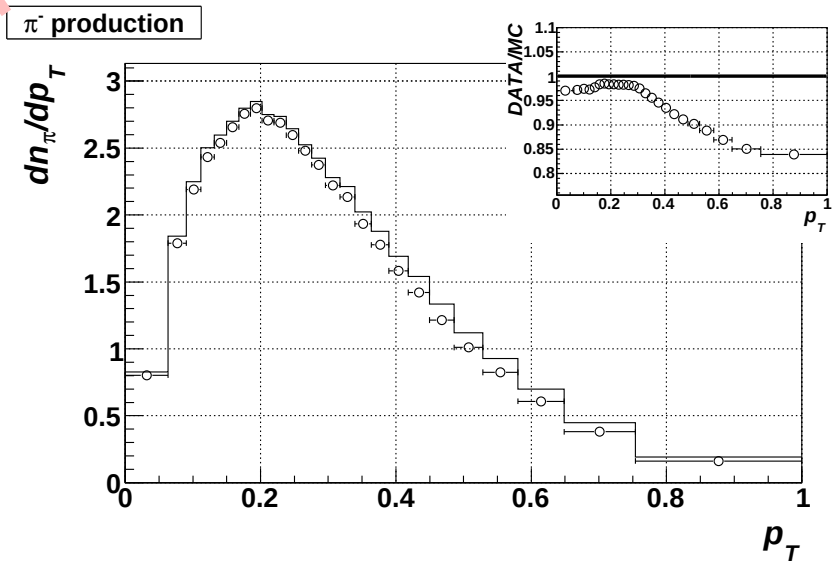


DATA vs MC









DATA vs MC